The Effect of Large-Scale Anti-Contagion Policies on the Coronavirus (COVID-19) Pandemic

The Global Policy Laboratory | UC Berkeley

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globalpolicy.science/covid19

HELP Workshop – May 1, 2020

Motivation

Currently, cost-benefit analysis of anti-contagion policies is almost impossible with existing information.

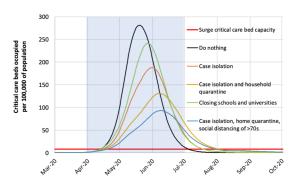
Costs of policies (e.g. stock market, unemployment) are <u>salient</u> and easily observed.

Benefits of policies (averted cases, lives not lost) cannot be directly observed.

Standard econometric approaches are ideally suited to measure these benefits.

Current understanding of benefits comes exclusively from forward-looking process-based epidemiological simulations.

These simulations are "structural" models that rely on numerous "deep" epidemiological parameters that are challenging to quantify.



The predicted impact that countermeasures could have on critical care bed use in Britain. Imperial College COVID-19 Response Team

Impacts of ongoing policies have not been directly measured.

Research Questions

Global Policy Lab breakfast meeting on March 13th:

1) Can we empirically measure the benefits of anti-contagion policies using available data from countries with early outbreaks?'

2) If so, which policies "work" and/or generate the greatest benefits?

Information can be useful to populations and decision-makers in remaining 180 countries where COVID-19 has been detected.

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(paper submitted on March 23rd)

Data Collection

Six Countries with early outbreaks and subnational data:

 \rightarrow China, South Korea, Iran, Italy, France, USA

Restrict dates to >10 confirmed cases, no policies lifted:

 \rightarrow January 16 (China) — April 6 (S. Korea, Italy, USA)

Daily subnational epidemiological data on confirmed **active cases** (China, S. Korea) or **cumulative cases**.

Data on documented **regime changes for diagnosis or testing** (country-level)

Subnational data on deployment of anti-contagion policies.

Types of anti-contagion policies

Policies are aggregated or hand-collected from a variety of sources (e.g. online databases, news articles):

- travel bans
- transit restrictions
- business closures
- quarantining positive cases
- lockdowns / home isolation
- emergency declarations

- expansions of paid sick leave
- school closure
- canceling events
- prohibiting religious gatherings
- work from home
- other social distancing measures (closing museums / libraries)

Policies are aggregated up (population weights) to administrative units of case data.

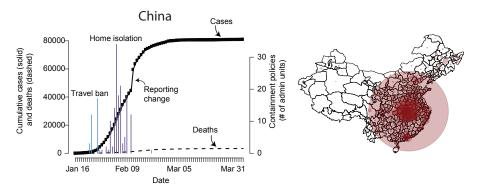
Policies are grouped based on similarity of objective (e.g. travel restrictions) or timing of deployment.

Number of unique anti-contagion policies in this study by administrative division

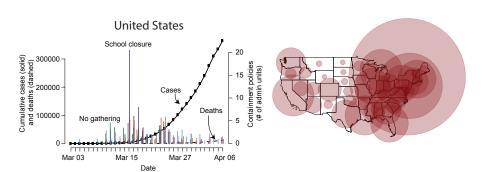
Country	Adm0	Adm1	Adm2	Adm3	Total
China	0	4	133	0	137
France	8	1	50	0	59
Iran	5	17	0	0	22
Italy	14	29	95	77	215
South Korea	20	39	0	0	59
United States	36	682	418	31	1167
Total	83	772	696	108	1659

Adm0 = country; Adm1 = state; Adm2 = county

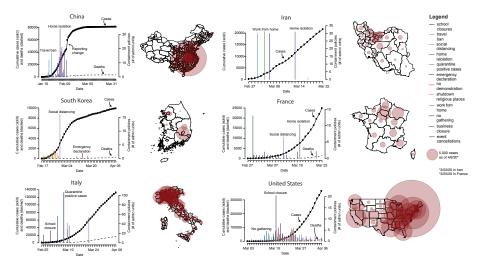
Compiling new data: subnational cases + policies



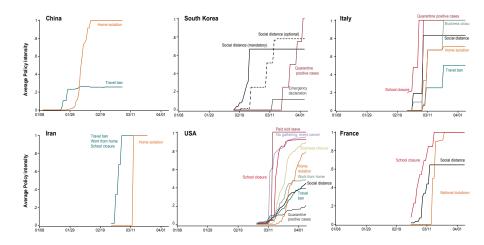
Compiling new data: subnational cases + policies



Compiling new data: subnational cases + policies



Summaries: national average policy intensity



All data public \rightarrow global policy.science/covid19

Model

In Susceptible-Infected-Recovered (SIR) disease model, the rate of change in infections early in an epidemic is

$$\frac{dI_t}{dt} = (S_t \beta - \gamma)I_t \underset{S_t \to 1}{=} (\beta - \gamma)I_t$$

 I_t = infected individuals at time t

 $S_t = \text{susceptible fraction of the population}$

 $\beta = \text{transmission rate}$

 $\gamma = \text{removal rate}$

Therefore, active infections grow exponentially in every time step:

$$\frac{I_{t_2}}{I_{t_1}} = e^{g_t \cdot (t_2 - t_1)} \tag{1}$$

where daily growth rate g_t is a function of behavior and policy.

Estimation

Estimate a separate panel growth regression for each country:

$$\underbrace{\log(\textit{I}_{\textit{cit}}) - \log(\textit{I}_{\textit{ci},t-1})}_{\textit{daily growth rate } \textit{g}_{t}} = \theta_{0,\textit{ci}} + \delta_{\textit{ct}} + \mu_{\textit{cit}} + \sum_{p=1}^{P_{c}} \left(\theta_{\textit{cp}} \cdot \textit{policy}_{\textit{pcit}}\right) + \epsilon_{\textit{cit}}$$

I= number of infected individuals $\theta_0=$ subnational unit-fixed effects (e.g. state or city) $\delta=$ day-of-week-fixed effects $\mu=$ testing regime dummies policy= dummy variable for enacted policies

Country c, subnational unit i, and day t.

Identification

Decisions to deploy policy are likely independent of growth rates or anticipation of growth rates.

ightarrow epidemiological guidance to decision-makers was explicit that growth rates are constant in the absence of policy.

In practice, policies are generally deployed in response to

- levels of cumulative cases (not growth rates)
- outbreaks in other locations
- other arbitrary events (e.g. closing businesses on a Monday or schools after Spring Break).

Is exponential growth a good assumption?

Exponential growth occurs when most of the population remains susceptible.

After correcting for estimated rates of case-detection (Russell et al., 2020), we compute:

- Susceptible fraction of population > 95% across 86% of administrative units across all six countries at end of sample.
- Minimum susceptible population in any of the administrative units in our sample is approximately 78.0% (Cremona, Italy).
- ightarrow Much of sample would likely be in a regime of uninhibited exponential growth if policies were removed.

Under-reporting of cases?

Suppose each locality i reports only a fraction ψ_i of infections.

We observe $\tilde{l}_{it} = \psi_i l_{it}$ rather an actual infections l_{it} .

$$\begin{split} \log(\tilde{I}_{it}) - \log(\tilde{I}_{i,t-1}) &= \log(\psi_i I_{it}) - \log(\psi_i I_{i,t-1}) \\ &= \log(\psi_i) - \log(\psi_i) + \log(I_{it}) - \log(I_{i,t-1}) \\ &= \log(I_{it}) - \log(I_{i,t-1}) = g_{it} \end{split}$$

ightarrow robust to systematic, time-invariant, location-specific under-reporting.

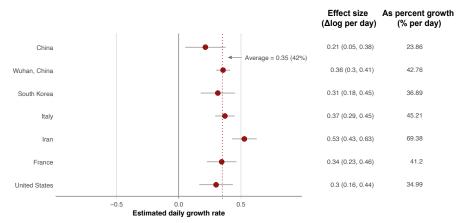
If there are trends in case-detection:

$$\log(\tilde{I}_{it}) - \log(\tilde{I}_{i,t-1}) = \underbrace{\log(\psi_{it}) - \log(\psi_{i,t-1})}_{\textit{growth rate of \% cases detected}} + g_{it}$$

Using time-varying case detection rates, we estimate this bias may be roughly 0.022 on average (6.2% of baseline).

"No policy" growth rates

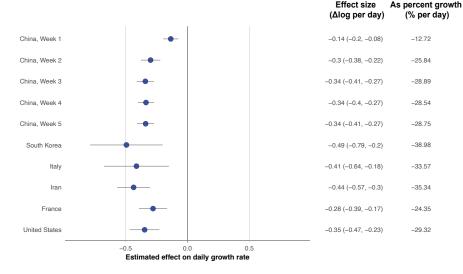
Infection growth rate without policy



(These are mostly unobserved, actual infection growth is confounded by policy.)

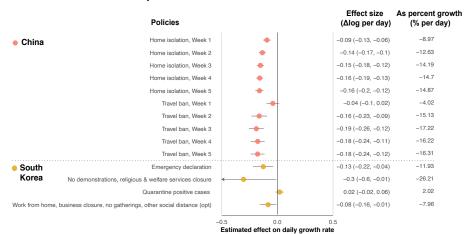
Effect if all available policies are fully deployed

Effect of all policies combined

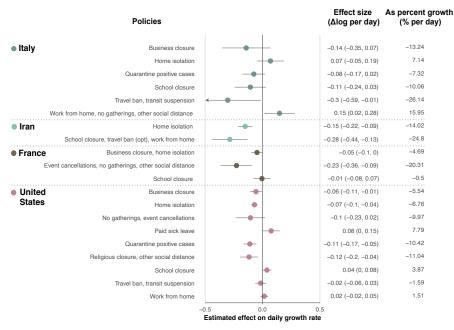


(Few locations deploy all policies in our sample.)

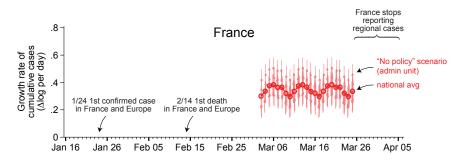
Effect of individual policies



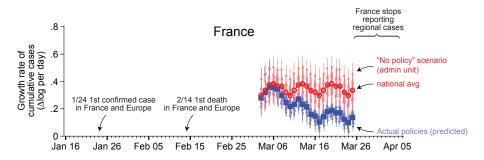
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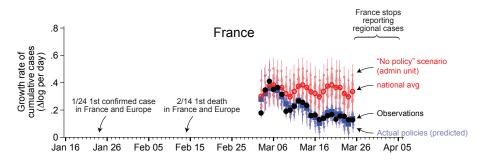
Predicting counterfactual infection growth rates

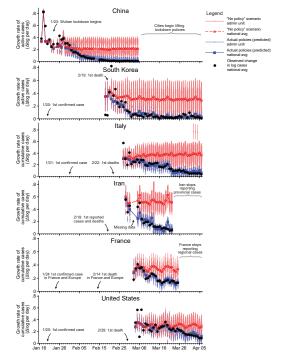


Predicting counterfactual infection growth rates



Predicting counterfactual infection growth rates





Average total effect of anti-contagion policies

Without policy, daily infection growth rate = ± 0.35 (42%) per day ± 0.35 doubling every 2 days.

Impacts of policy depend on timing and duration of deployment.

In our sample, we estimate all anti-contagion policies combined slowed average daily growth rate of infections:

China $-0.156 \ (\pm 0.015)$ per day

S Korea: $-0.248 \ (\pm 0.089)$ per day

Italy: -0.241 (± 0.068) per day

Iran: $-0.362 \ (\pm 0.069)$ per day

France: $-0.139 \ (\pm 0.038)$ per day

USA: $-0.092 (\pm 0.033)$ per day

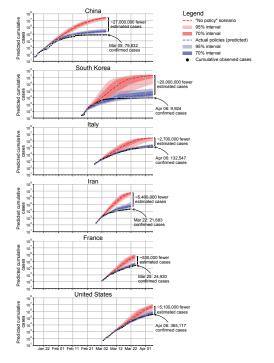
Cumulative effect on total cases

We want to understand scale of total benefit from deployed policies.

 \rightarrow Integrate growth rates to compute total infections averted.

Challenge: As more infections occur, growth rate natural slows because fewer individuals to infect.

Solution: Link results to SIR / SEIR model to adjust for changing susceptible population (including undetected cases).



Benefits of policy: est. cases delayed or avoided

Country	End date	Cumulative "confirmed" cases delays / avoided
China	3-05	26,988,000
South Korea	4-06	20,149,000
Italy	4-06	2,684,000
Iran	3-22	5,358,000
France	3-25	532,000
United States	4-06	5,108,000
Total		60,819,000

Sensitivity tests using Susceptible-Exposed-Infected-Removed (SEIR) model: 57–65 million confirmed cases averted (central est).

Conclusions

- Without policy, daily infection growth rate = ± 0.35 (42%) per day ± 0.35 doubling every 2 days.
- Current policy packages are effective at dramatically slowing growth rate if fully deployed.
- Ranking policies is more difficult with currently available data, but possible in some countries.
- It takes roughly 3 weeks for full effects to be observed.
- Existing policies are generating large benefits (e.g. without policy: $339 \times$ current cumulative infections in China, $15 \times$ in the US)
- Likely delayed / avoided on the order of 60M confirmed infections across six countries during our sample (ended April 6).